Training test

| d on Sunday, March 15 2020, 4:28 PM State finished d on Sunday, March 15 2020, 5:02 PM aken 33 mins 43 secs arks 1550.00 / 1800.00 rade 15.50 out of 18.00 (86 %) The equation $x^4 - 3x^2 - 10 = 0$ |
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| |
| The equation $x^4 - 3x^2 - 10 = 0$ |
| |
| (A) has four distinct real solutions |
| (B) has at least two solutions of the same sign |
| (C) has no real solutions |
| (D) has only negative solutions |
| (E) has two (and only two) distinct real solutions |
| The correct answer is: it has two (and only two) distinct real solutions |
| A man has two children, Aldo and Maria. The age of man plus that of Aldo exceeds that of Maria of 80 years. The age of man plus that of Maria exceeds that of Aldo by 90 years. How old is the man? |
| (A) 68 years old |
| (R) 70 years old |
| (C) 54 years old |
| ● (D) 85 years old |
| (E) 45 years old |
| |

The correct answer is: 85 years

| Question 3 | The data below refer to a questionnaire on the preferences of 30 cyclists: |
|---------------------------|---|
| incorrect | in citta' in campagna |
| Mark -25.00 out of 100.00 | in citta' in campagna |
| 100.00 | da solo 12 3 |
| | |
| | in due 9 6 |
| | Calculate the percentage of individuals who prefer to ride a bicycle together in the countryside. |
| | (A) 90% (B) about 33% |
| | (C) 9% |
| | (C) 50% ★ |
| | ○ (E) about 67% |

The correct answer is: about 67%

| Question 4 | A round cylinder C has radius r and height h . The cylinder C' has triple radius and double height compared to C . By indicating with V_C and $V_{C'}$ the respective volumes we can say that |
|---------------------------|---|
| Mark 100.00 out of 100.00 | (TO) $V_{C'} = 27 V_C$ (B) $V_{C'} = 6 V_C$ (C) $V_{C'} = 9 V_C$ (D) it is impossible to answer without further information (IS) $V_{C'} = 18 V_C \checkmark$ |

The correct answer is: $V_{C^{\prime}}=18\,V_{C}$

| Question 5 correct Mark 100.00 out of 100.00 | In a restaurant there are 24 square tables with 4 seats each, which can be arranged individually or combined to form a 6 or 8-seater table. By forming the same number of 4-seater, 6-seater and 8-seater tables, how many seats are obtained? |
|--|--|
| | (A) 60 (B) 68 (C) 84 (D) 72 ✓ (E) 78 |
| | The correct answer is: 72 |
| Question 6 incorrect Mark -25.00 out of 100.00 | Only one of the following statements is correct; identify which one. (A) Two isosceles triangles with the same vertex angle are always congruent × (B) Two scalene triangles with the same area are always congruent (C) Two right triangles with neatly congruent cathets are always congruent (D) Two equiangular triangles are always congruent (E) Two equilateral triangles are always congruent |

The correct answer is: Two right triangles with neatly congruent cathets are always congruent

Question 7
correct
Mark 100.00 out of
100.00For x > 0, the expression
 $7-4 \log_7 x$
It's equal to: $(TO) 7^{-4} + x$
 $(B) <math>x^4$
 $(C) 7 x^{-4}$
 $(D) <math>x^{-4} \checkmark$
 $(S) 7^{-4} x$

| Question 8 | Which of these equations represents a straight line passing through the point $(-1,-3)$ and perpendicular to the bisector of the first quadrant? |
|---------------------------|--|
| Mark 100.00 out of 100.00 | • (TO) $x - 3y - 10 = 0$ |
| | • (B) $2x + y = 0$ |
| | • (C) $2x + 2y + 8 = 0 \checkmark$ |
| | • (D) $x - 5y - 2 = 0$ |
| | (IS) $x + y - 4 = 0$ |
| | The correct answer is: $2x + 2y + 8 = 0$ |
| Question 9 correct | A common divisor of monomials $3a^2b^4$, $4a^3b^3x^5$, $a^2b^4x^6$ and ' |

Mark 100.00 out of 100.00

• (IS) $a^2 b^3 x^4$

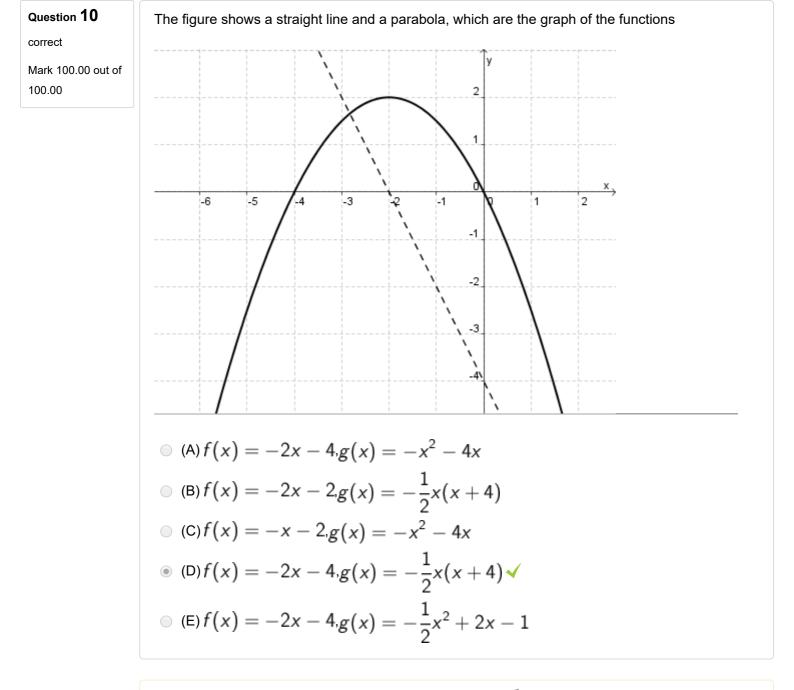
(то) _а² b⁴

• (C) $a^3 b^3 x^4$

(D) a²b³
 √

(В) abx

The correct answer is: a^2b^3



The correct answer is: f(x) = -2x - 4, $g(x) = -\frac{1}{2}x(x+4)$

Question 11

correct

Mark 100.00 out of 100.00

Consider the equations

A)
$$\frac{x^2 - 3x + 2}{x^3 + 27} = 0$$
 e B) $\frac{x^2 - 3x + 2}{x^3 - 27} = 0$.

Which of the following statements is true?

- \odot (A) the two equations have the same set of solutions \checkmark
- (B) the set of solutions of B) is included in the set of solutions of A)
- (C) the set of solutions of A) is included in the set of solutions of B)
- (D) the two equations have only one solution in common
- (E) the two equations have no common solutions

The correct answer is: the two equations have the same set of solutions

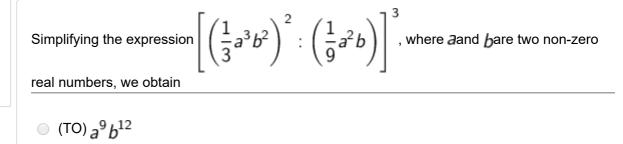
| The equation $\log_3(x+2)^2 = 2$ |
|---|
| (A) has no real solutions (B) has the solutions $x = 1$ and $x = -5 \checkmark$ |
| (C) has the only solution x = 1 - log₃ 2 (D) has the only solution x = -5 |
| • (E) has the only solution $x = 1$ |
| The correct answer is: it has the solutions $_X = 1$ and $_X = -5$ The prime factorization of the number $(5^4 + 5^2)^3 2^4$ is: |
| (TO) 2⁴5⁶13² (B) 2³5⁴13² |
| |

The correct answer is: 2756133

Question 14

correct

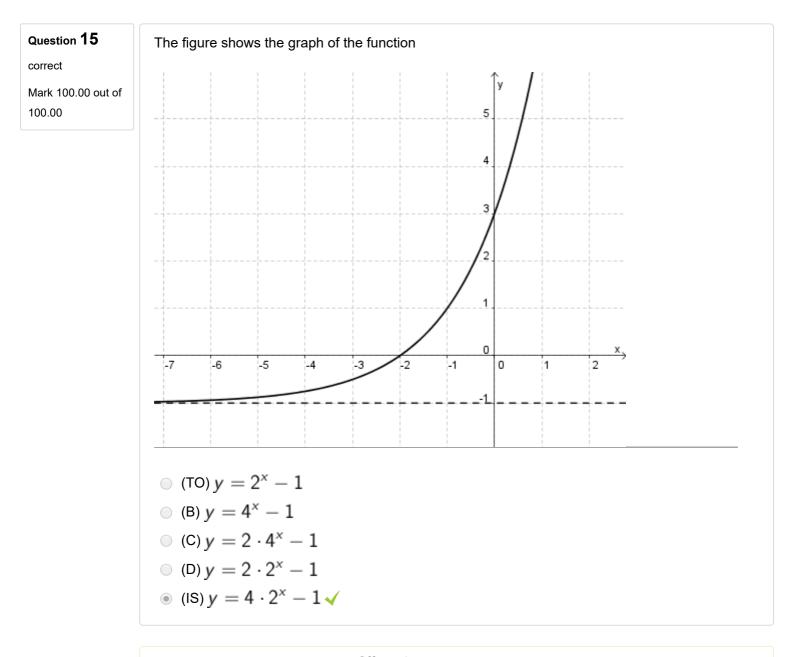
Mark 100.00 out of 100.00



(B)
$$a^{12}b^9 \checkmark$$

(C) $\frac{1}{9}a^{12}b^9$
(D) $\frac{1}{81}a^9b^{12}$
(IS) $9a^{12}b^9$

The correct answer is: $a^{12}b^9$



The correct answer is: $y = 4 \cdot 2^x - 1$

Question 16

correct

Mark 100.00 out of 100.00

The real number

$$x = \sqrt{2\sqrt[3]{2}\sqrt[3]{\frac{3}{8}}}$$

It's equal to

| \bigcirc | (TO) $\sqrt{2\sqrt[3]{3}}$ |
|------------|----------------------------|
| ۲ | (B) √ ⁶ ∕6 ✓ |
| \bigcirc | (C) $\sqrt[6]{5}$ |
| \bigcirc | (D) $\sqrt{6}$ |
| \bigcirc | (IS) <u>∛</u> 6 |

The correct answer is: $\sqrt[6]{6}$

| Question 17 correct Mark 100.00 out of | The expression $2 \sin \frac{13\pi}{12} \cos \frac{13\pi}{12}$ is equal to: (TO) $\sqrt{3}/2$ |
|--|--|
| 100.00 | (B) $-1/2$ (C) 2 |
| | $ (D) \sin \frac{13\pi}{24} $ $ (IS) \frac{1}{2} \checkmark $ |

The correct answer is: 1/2

| Question 18 | Equation circles are given |
|---|---|
| correct Mark 100.00 out of 100.00 | $x^{2} + y^{2} + 2x + 2y + 1 = 0$, $x^{2} + y^{2} + 4x + 2y + 4 = 0$. We can say that the two circumferences |
| | (A) are tangent (B) are separated and the second is internal to the first (C) intersect at four distinct points (D) intersect at two distinct points (E) are disjointed and the former is internal to the latter |

The correct answer is: they intersect in two distinct points